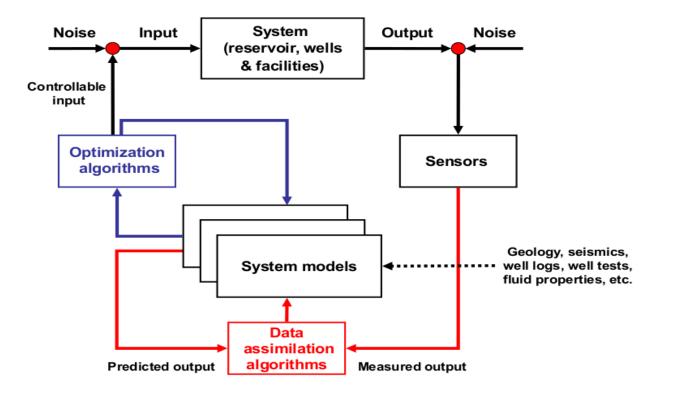


Ensemble-based decision making for reservoir management – present and future outlook

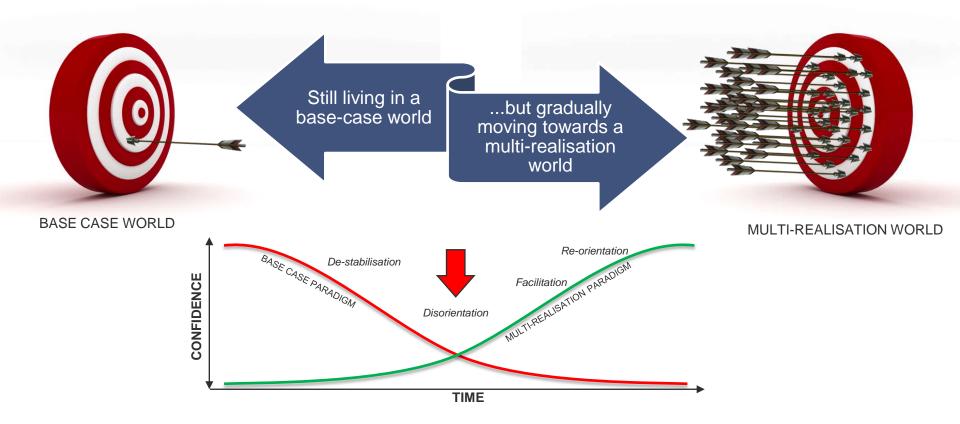
TPD R&T ST MSU DYN and FMU team



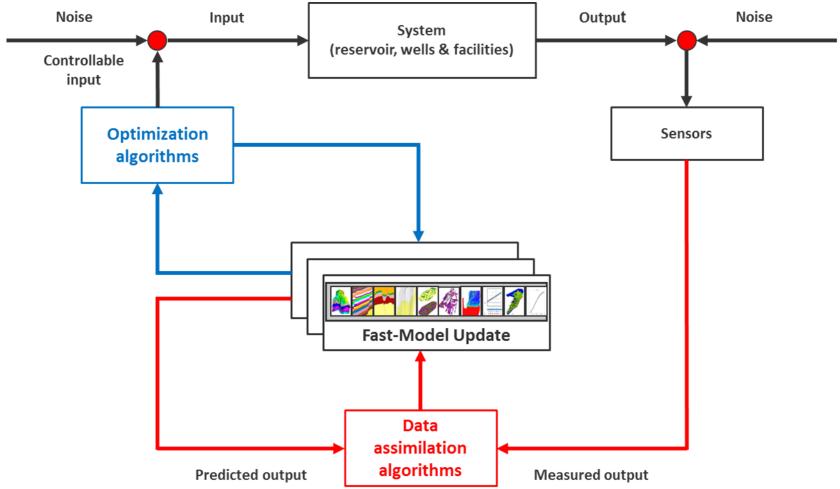


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New paradigm shift – multiple realization world









- Assisted History Matching loop
- Optimization loop
- Future outlook



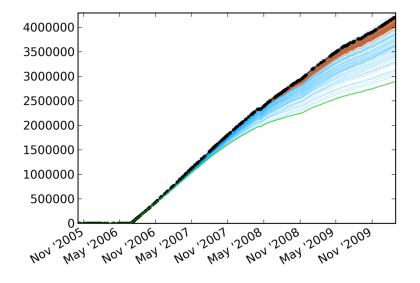
- Assisted History Matching loop
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Assisted History Matching (AHM)

Assisted – not automated!!

History Matching - The act of adjusting a model of a reservoir until it closely reproduces the past behavior of a reservoir.

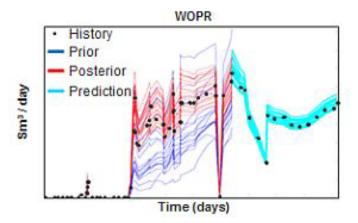




Assisted History Matching (AHM)

- Provides multi-model history match for improved uncertainty description
- Maintains geological realism
- Incorporates of all quantifiable information (seismic, gravity, tracer etc.)
- Predicts of the future behavior of the reservoir in existing and new wells with increased confidence
 predictive power







ES vs. EnKF --- fundamentals

Ensemble Kalman filter:

- Recursive updates keep realizations on track and close to observations.
- Linear updates introduces "Gaussianity" into ensemble of realizations.
- Handles well nonlinear and unstable dynamics.

Ensemble Smoother:

- Proposed by van Leeuwen and Evensen (1996).
- Identical to EnKF for linear dynamics (Evensen, 2009).
- Very easy to implement.
- Restarts are not required.
- Allows for more flexible parameterization than EnKF Allows for more flexible parameterization



The core – Closed Loop Reservoir Management (CLOREM)

- Assisted History Matching loop
- Optimization loop
- Future outlook



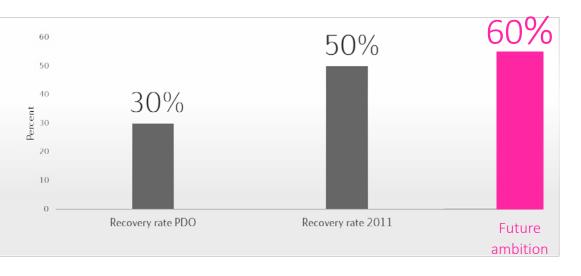
The core – Closed Loop Reservoir Management (CLOREM)

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Increase oil recovery philosophy

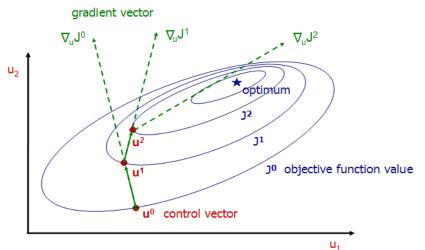
- Increasing demand $\leftarrow \rightarrow$ reducing supply
 - energy demand continues to grow world-wide
 - renewables are developing too slow to keep up with demand
 - 'easy oil' has been already found; few new discoveries; complex fields



Increased Oil Recovery-NCS ambition



Optimization



• General definition:

The process of selecting the "best" (with regard to some criteria a.k.a.

objective function) element from a set of available alternatives.

• Petroleum industry definition:

Possible objectives: maximize oil recovery (UR) or cash (NPV)

minimize risks - economic and/or societal

Iterative methods

Gradient based: Adjoint, EnOpt, SPSA etc.

Gradient free: Meta-Heuristic/genetic algorithms



Optimization – Ensemble Optimization (EnOpt)

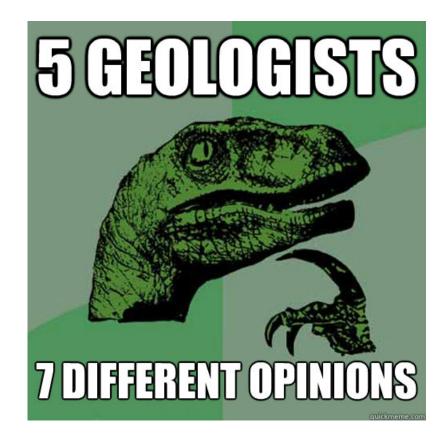
- Introduced by Lorentzen et al (2006), Chen and Oliver (2008)
- Generate an ensemble of control vectors stochastically (blue dots)
- Evaluate each ensemble member of controls (red dots)
- J(u) perturbed controls best guess control true gradient objective function for perturbed controls estimated gradient
- Estimate a gradient from the ensemble of function evaluations

 $\mathbf{u}_{\prime+1} = \alpha_{\prime}\mathbf{g}_{\prime} + \mathbf{u}_{\prime}$



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Optimization under geological uncertainty





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Optimization under geological uncertainty

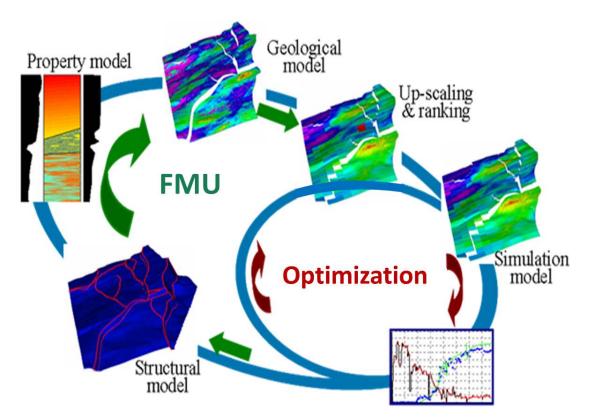
- Geo-modelling fraught with uncertainties (seismic, logs etc.)
- Optimization over an ensemble of geological realizations, [Van Essen et.al 2009], results of practical value
- Way to account for uncertainty to find a single optimized strategy
- Equal ensemble sizes for controls and realizations for gradient evaluation (Chen 2008)
- EnOpt computationally attractive for robust optimization
- StoSAG formulation by Rahul Fonseca 2014



Ensemble based Closed Loop Reservoir Management

Predicts of the future behavior of the reservoir in existing and new wells with increased confidence – predictive power

- Game changer
- "Culture" changer
- Enhancing FMU
- Boosting IOR and EOR
- Integrated framework



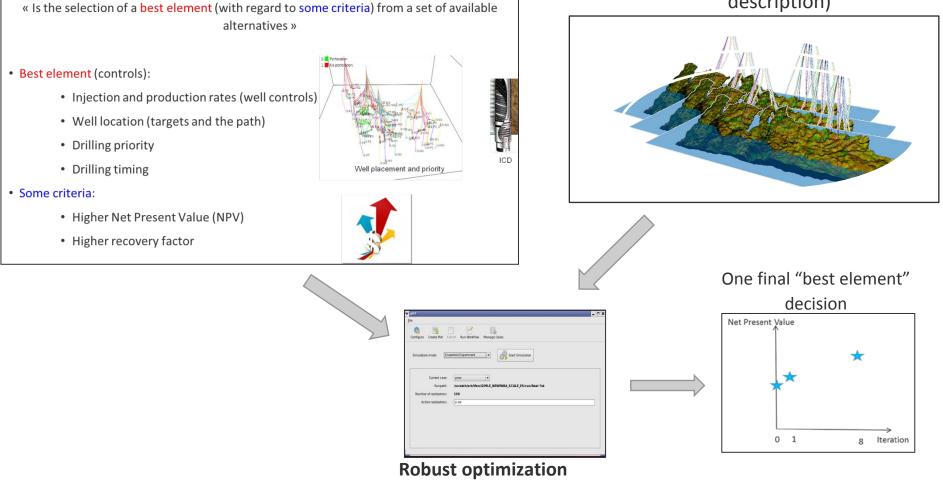
Ultimate goal: Decision Maturation



Well Planning Robust Optimization (WPRO) tool

Optimization

Reservoir models (uncertainty description)





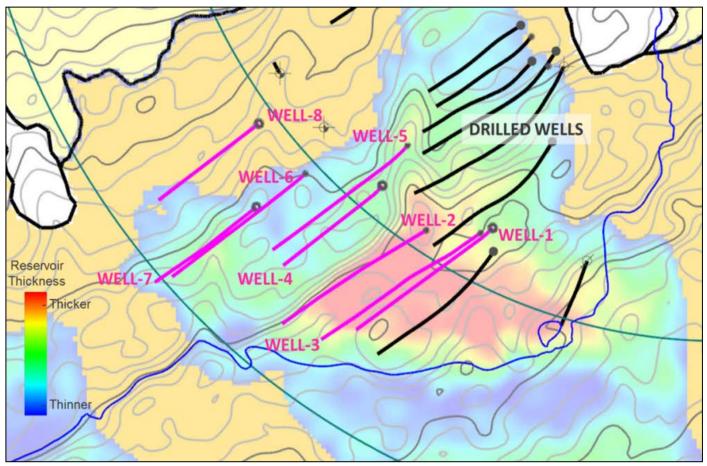
Intermezzo and some conclusions

- AHM geological realism translated in
 - New facies simulation approach
 - New hybrid engineering localization scheme and faults parameterization
- Optimization translated in
 - Robust ensemble Optimization
- Tool development
 - WPRO tool



Field case – Peregrino

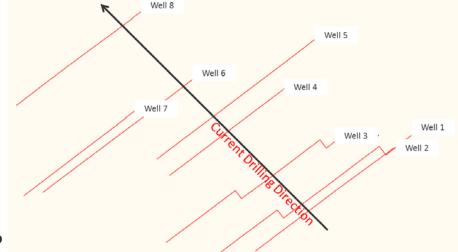
Drilled and planned wells with reservoir thickness maps as background



Blue line is indicative of the aquifer boundary



Peregrino Simulation Model



- 720,000 active grid cells of 100x100x2 m
- No upscaling has been performed.
- Heavy Oil reservoir; 14 °API; Viscocity 360 cP
- Horizontal wells varying from 1000-2000 m drilled as producers
- Reservoir consists of two sections; uncertain connectivity between the sections
- Aquifer support strongest in lower section
- Reservoir pinches out away from the aquifer.



Optimization Experiments

- Drilling Order
 - The order of the 8 producer wells is optimized to achieve an increased economic objective (NPV)
- Drilling Order + Well Type + Rate Capacity
 - In addition to the re-ordering, the 8 producer wells are allowed to either be a producer or an injector at the initial time of well opening
- Drilling Order + Well Time Switch + Rate Capacity
 - In addition to the re-ordering, the 8 producer wells are allowed to switch from a producer to an injector at some later time during life cycle period
- Deterministic & Robust Optimization experiments done.



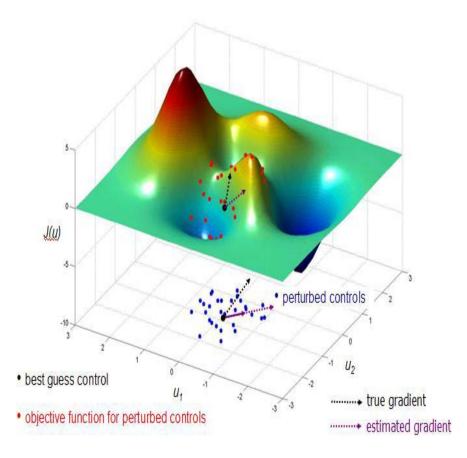
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Control Parameterization

- Drilling Order for each well is defined as a 'priority', a continous variable between 0 and 1
- Each well is given a priority and the drilling order is decided based on the priority values (highest value= well drilled first)
- Well Type Control: Also defined in a range between 0 and 1 and allowed to be continous.
- Well with a value > 0.5 will be a producer and vice versa for injectors





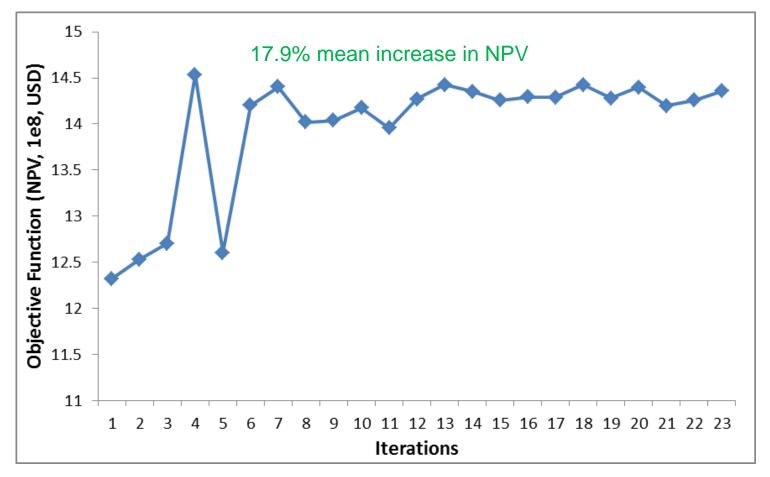
Geological Uncertainty

- Facies Proportions (permeability's X and Z and porosities)
- Oil-water contact
- Fault Properties
- Relative Permeability Curves
- Kv/Kh
- Initial water saturation distribution
- Pore Volume multipliers for different regions

Objective : Find a single optimal strategy applicable to all the realizations with expected value of NPV as the objective function



Optimization Performance



Adding more controls to the optimization helps find better solutions

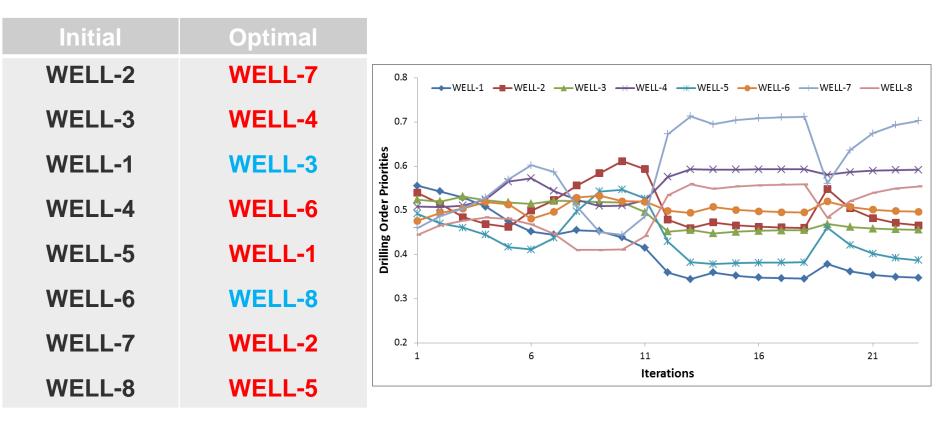
+0.5% mean cumulative oil production

-1.07% mean cumulative water injection



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Results : Optimal Well Order + Well Type

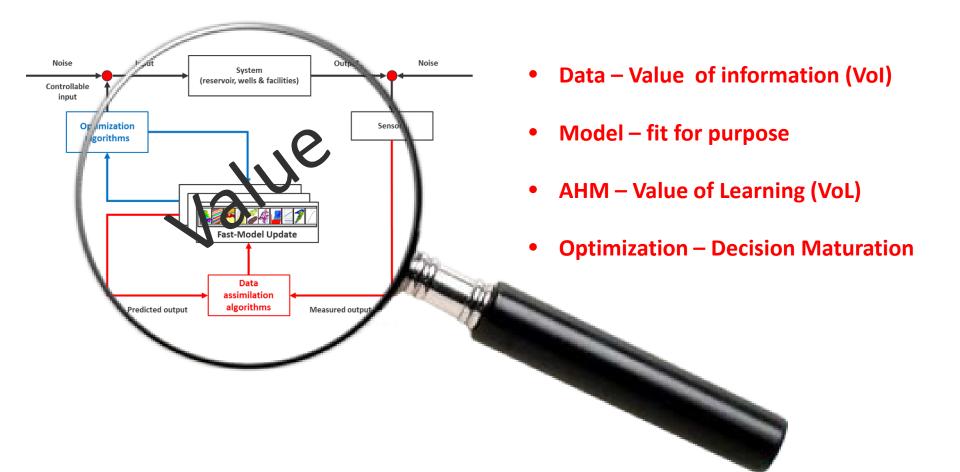


Very different behaviour of drilling priorities compared to optimizing only drilling order. Effect of more degree of freedom in the problem ??

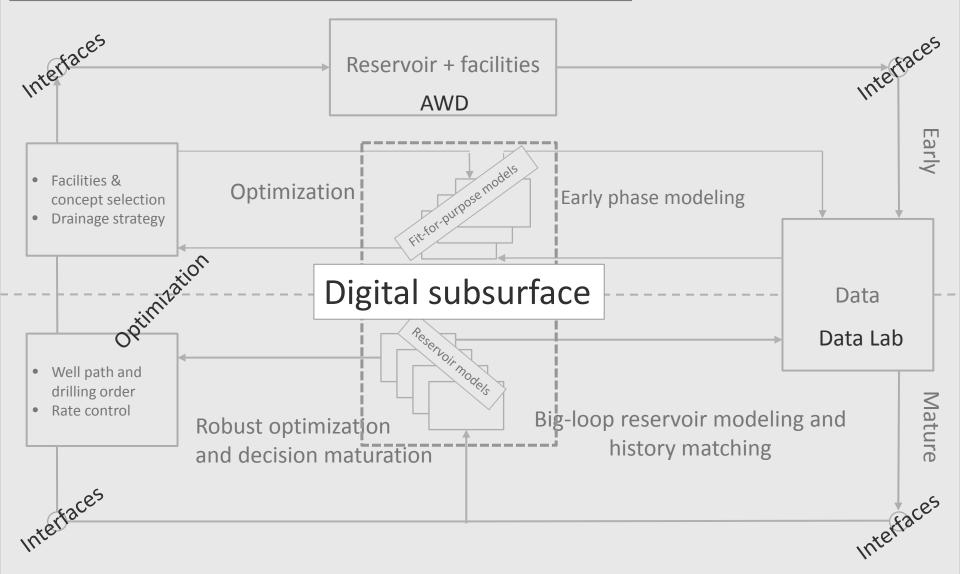


Future outlook

Value = the importance, worth, or usefulness of **something**.

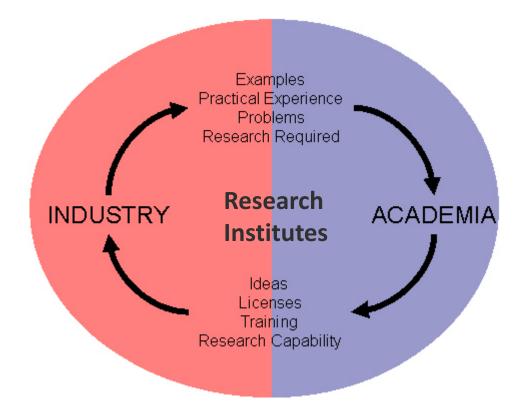


Decision making for a digital subsurface





Future outlook



Joint Industry Project – Decision making for a digital subsurface



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There's never been a better time for **GOOD** ideas

Ensemble-based decision making for reservoir management – present and future outlook



StoSAG Gradient Formulation

Original (Chen, 2008):

$$\mathbf{\overline{U}} = \begin{bmatrix} \mathbf{u}_1 - \mathbf{\overline{u}} & \mathbf{u}_2 - \mathbf{\overline{u}} & \cdots & \mathbf{u}_M - \mathbf{\overline{u}} \end{bmatrix}$$

$$\mathbf{\overline{U}} = \begin{bmatrix} J_1 (\mathbf{u}_1, \mathbf{\theta}_1) - \overline{J} & J_2 (\mathbf{u}_2, \mathbf{\theta}_2) - \overline{J} & \cdots & J_M (\mathbf{u}_M, \mathbf{\theta}_M) - \overline{J} \end{bmatrix}^T$$

StoSAG (Fonseca et al. 2016; IJNME; theoretical proof):

$$\mathbf{U}_{mod} = \begin{bmatrix} \mathbf{u}_{1} - \mathbf{u}^{\ell} & \mathbf{u}_{2} - \mathbf{u}^{\ell} & \cdots & \mathbf{u}_{M} - \mathbf{u}^{\ell} \end{bmatrix}$$
$$\mathbf{j}_{mod} = \begin{bmatrix} J_{1}(\mathbf{u}_{1}, \mathbf{\theta}_{1}) - J_{1}^{\ell}(\mathbf{u}^{\ell}, \mathbf{\theta}_{1}) & J_{2}(\mathbf{u}_{2}, \mathbf{\theta}_{2}) - J_{2}^{\ell}(\mathbf{u}^{\ell}, \mathbf{\theta}_{2}) \\ \cdots & J_{M}(\mathbf{u}_{M}, \mathbf{\theta}_{M}) - J_{M}^{\ell}(\mathbf{u}^{\ell}, \mathbf{\theta}_{M}) \end{bmatrix}^{T}$$

